Faculty of Engineering and Technology

### First Year Master of Engineering (Computer Engineering)

In Effect from Academic Year 2017-18

Subject Code: MECE105-N Subject Title: APPLIED MATHEMATICS

Teaching scheme					Evaluation Scheme					
L	Т	Р	Total	Total Credit	Theory		Mid Sem Exam	CIA	Pract.	Total
Hrs	Hrs	Hrs	Hrs		Hrs	Marks	Marks	Marks	Marks	Marks
03	01	00	04	04	03	70	30	20	00	120

#### **LEARNING OBJECTIVES:**

The objective of this course is to introduce students to the following concepts.

- To introduce the fundamentals of probability theory and random processes and illustrate these concepts with engineering applications. This course will present the basic principles of random variables and random processes needed in applications such as signal processing, digital communications, speech processing, data modeling, etc. R will be used as a software tool for bringing probability theory and real-world applications closer together.
- To understand several important concepts in linear algebra, including systems of linear equations and their solutions; matrices and their properties; determinants and their properties; vector spaces; linear independence of vectors; subspaces, bases, and dimension of vector spaces; inner product spaces; linear transformations; and eigenvalues and eigenvectors;
- To apply these concepts to such real world phenomena as electrical networks, traffic flow, archeological dating, economic interdependencies, population movement, communication networks, and weather prediction;
- To improve the ability (or to learn!) to prove mathematical theorems;
- To improve the ability to think logically, analytically, and abstractly; and
- To improve the ability to communicate mathematics, both orally and in writing

### **OUTLINE OF THE COURSE:**

Sr. No	Title of the Unit	Hours
1	Combinatorial Analysis	3
2	Probability Axioms and Conditional Probability	6
3	Random Variables	8
4	Exploring Data	2
5	Correlation and Regression	2
6	Sampling Distributions & Confidence Intervals	3
7	Significance Tests	2
8	Estimation Theory	2
9	Introduction to Vector Space and Sub space	9
10	Eigen value and Eigen vector	7
11	Linear Transformation	4

Total hours (Theory): 48

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#### **DETAILED SYLLABUS:**

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Sr. No	Topic	Lecture Hours	Weight age(%)
1	Combinatorial Analysis		
	The Basic Principal of Counting		
	Permutation and Combination	3	6
	Multinomial Coefficients		
2	Probability		
	Sample Space and Events		
	Axioms of Probability	6	13
	Conditional Probability		
	Bayes Theorem		
3	Random Variable		
	Discrete Random Variable		
	Expectation of a Function of Random Variable		
	Bernoulli/Binomial/poison Distribution		
	Continuous Random Variable		
	Expectation and Variance of Continuous Random Variable	8	17
	The Uniform Random Variable		
	Normal Random Variable		
	Exponential Random Variable		
	The Gamma/Cauchy/Beta Distribution		
	Jointly Distributed Random Variable		
4	Exploring Data : Data Visualization		
	<ul> <li>Cases, variables and levels of measurement</li> </ul>		
	Data matrix and frequency table		
	Graphs and shapes of distributions	2	4
	Mode, median and mean	2	4
	Range, interquartile range and box plot		
	Variance and standard deviation		
	• Z-scores		
5	Correlation and Regression		
	Crosstabs and scatterplots		
	correlation	2	4
	Linear Regression and logistic Regression		4
	Contingency Table		
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6	Sampling Distributions & Confidence Intervals		
	Sample and population and sampling distribution		
	The central limit theorem		
	Statistical inference	3	6
	CI for mean with known population standard deviation	3	0
	CI for mean with unknown population standard deviation		
	CI for proportion		
	Confidence levels		
7	Significance Tests	2	4
	Hypotheses and Test about proportion		
	Significance test about mean		
	Significance test and confidence interval		
	Type I and type II errors		
8	Estimation Theory	2	4
	Unbiased Estimators		
	Method of Moments		
	Maximum Likelihood Estimation		
9	Vector Spaces and Subspaces	9	19
	Vector and Linear combination		
	<ul> <li>Length and vector Dot products</li> </ul>		
	Spaces of Vectors		
	<ul> <li>The Nullspace of A: Solving Ax = 0</li> </ul>		
	The Rank and the Row Reduced Form		
	The Complete Solution to Ax = b		
	Independence, Basis and Dimension		
	Dimensions of the Four Subspaces		
	Orthogonal vector		
10	Eigenvalues and Eigenvectors	7	15
	Introduction to Eigenvalues		
	Diagonalizing a Matrix		
	Applications to Differential Equations		
	Symmetric Matrices		
	Positive Definite Matrices		
	Similar Matrices		
	Singular Value Decomposition (SVD)		
11	Linear Transformation	4	8
	The Idea of a Linear Transformation		
	The Matrix of a Linear Transformation		
	Diagonalization and the Pseudoinverse		
	Total	48	100

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- At the start of course, the course delivery pattern, prerequisite of the subject will be discussed.
- Lectures will be conducted with the aid of multi-media projector, black board, OHP etc.
- Attendance is compulsory in lecture and laboratory which carries 10 marks in overall evaluation.
- One internal exam will be conducted as a part of internal theory evaluation.
- Assignments based on the course content will be given to the students for each unit and will be evaluated at regular interval evaluation.
- Surprise tests/Quizzes/Seminar/tutorial will be conducted having a share of five marks in the overall internal evaluation

### **LEARNING OUTCOME:**

On successful completion of the course, the student will be able to:

- Demonstrate an understand the basic principles of probability, conditional probability, independence,
- Bayes rule, discrete distributions, continuous distributions, etc.
- Basic knowledge about statistics
- understand the concept and basic structure of vector spaces, give examples and nonexamples, explain the concept of dimension, apply the dimension theorem (for the sum oftwo subspaces);
- elucidate the nullspace, row space and column space of a matrix, apply the rank-nullity theorem;

#### **Text Book:**

- 1. A First Course in Probability, Sheldon Ross, Fifth Edition
- 2. Introduction to Linear Algebra, Gilbert Strang, Fourth Edition

#### **References:**

- 1. Linear Algebra Done Right, Sheldon Axler
- 2. Linear Algebra, Kenneth Hoffman
- 3. Linear Algebra with Applications, Steven J Leon
- 4. Vector Calculus, 5th edition, Jerrold E. Marsden, Anthony Tromb